

# The Liquidity Coverage Ratio and Monetary Policy Implementation

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# Background

- Basel III introduces a framework for **liquidity** regulation
  - ▣ objective: ensure banks hold a more liquid portfolio of assets, limit maturity mismatch
- Two components:
  - ▣ Liquidity Coverage Ratio (LCR):
    - bank must have sufficient quantity of high-quality liquid assets to survive as 30-day period of market stress
  - ▣ Net Stable Funding Ratio (NSFR)
    - establishes minimum amount of funding from “stable” sources
- Scheduled implementation: Jan 2015 (LCR), Jan 2018 (NSFR)

# The question

- How might the introduction of an LCR affect monetary policy implementation?
- Many central banks target the interest rate on interbank loans ...  
... of reserve balances (a high-quality liquid asset)
- If the LCR changes the demand for such loans,
  - ▣ it seems likely to change the structure of market interest rates
- Would like to understand:
  - ▣ how the LCR is likely to affect interbank interest rates
  - ▣ whether these effects could impair a CB's ability to move the interest rate to target

# Our approach

- Develop a simple model to analyze this issue
  - ▣ difficult issue; this is a first step
  - ▣ goal is to identify possible implications of the LCR
- We start with a standard framework based on Poole (1968)
  - ▣ add an LCR requirement, term interbank lending
- We study a generic operational framework
  - ▣ symmetric corridor system; no reserve averaging
  - ▣ can be adapted to specific approaches of various central banks

# Results

- When banks face the possibility of an LCR shortfall, process of implementing monetary policy changes
  - ▣ the LCR tends to push **down** the overnight rate
  - ▣ yield curve can be much steeper at the very short end
  - ▣ in some cases, a symmetric corridor system is ineffective
- Moreover, the *form* of central bank operations matters
  - ▣ purchases vs. repos
  - ▣ treasury securities vs. other assets
- Conclude: central banks may want to reassess operational procedures

# The standard model (Poole, 1968)

- Each bank begins with:

Assets		Liabilities	
Loans	$L$	Deposits	$D - \varepsilon$
Bonds	$B$	Interbank borrowing	$\Delta$
Reserves	$R + \Delta - \varepsilon$	Equity	$E$

- Faces a reserve requirement:

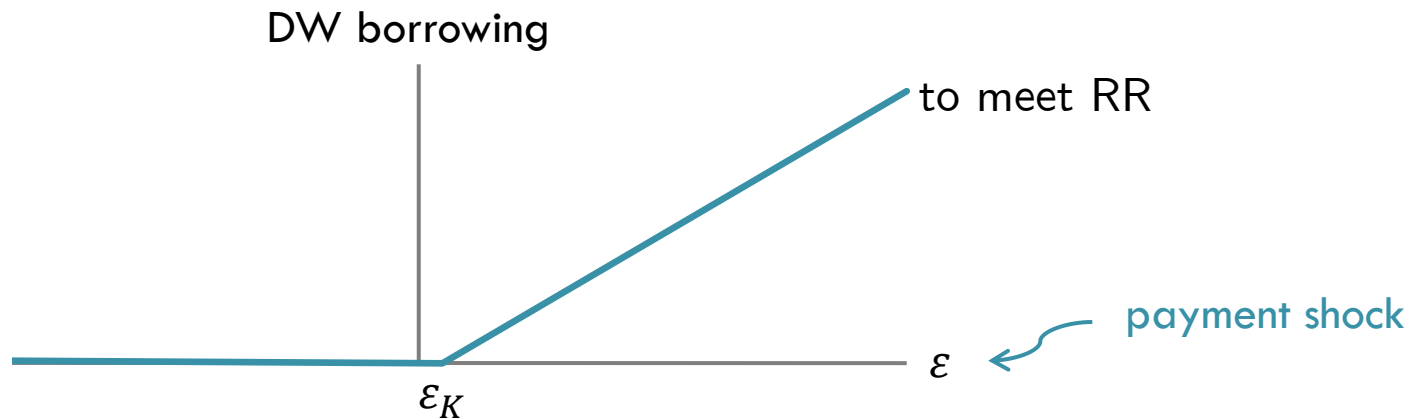
$$\text{Reserves} \geq K$$

- Can borrow and lend in an overnight interbank market
- After markets close, bank experiences end-of-day payment shock  $\varepsilon$ 
  - ▣ unanticipated late-day customer payment (or deposit inflow)
- If  $R + \Delta - \varepsilon < K$ , bank must borrow from central bank's standing facility

- Bank chooses  $\Delta$  to maximize expected profit

$$E[\pi] = r_L L + r_B B - r_D D + r_{IOER} K - r\Delta + \begin{cases} r_{IOER}(R + \Delta - \varepsilon - K) & \text{if } > 0 \\ r_{DW}(R + \Delta - \varepsilon - K) & \text{if } < 0 \end{cases}$$

- Given  $R + \Delta - K$ , amount bank must borrow from CB is:



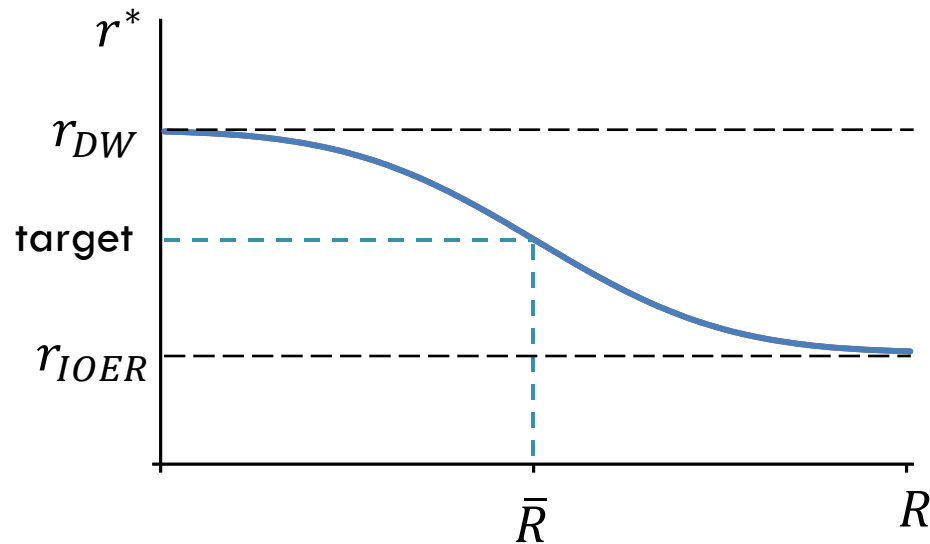
- Optimal choice:

$$r = r_{IOER} \times \text{prob}[\varepsilon < \varepsilon_K] + r_{DW} \times \text{prob}[\varepsilon > \varepsilon_K]$$

# Equilibrium

- Net interbank lending = 0  $\Rightarrow \varepsilon_K$  is determined by  $R - K$

$$r^* = r_{IOER}(\text{prob}[\varepsilon < \varepsilon_K]) + r_{DW}(\text{prob}[\varepsilon > \varepsilon_K])$$



- Central bank determines  $R$  (and  $r^*$ ) through open market operations



# Our model

- Include both overnight and term loans
  - ▣ but still an essentially static framework
- Introduce an LCR requirement:

$$LCR = \frac{B + R + \Delta + \Delta_T}{\theta_D D + \Delta} \geq 1$$

- Runoff rates for different types of liabilities:
  - ▣ deposits:  $\theta_D = 5\%$  or  $10\%$
  - ▣ overnight borrowing:  $100\%$
  - ▣ term borrowing:  $0\%$

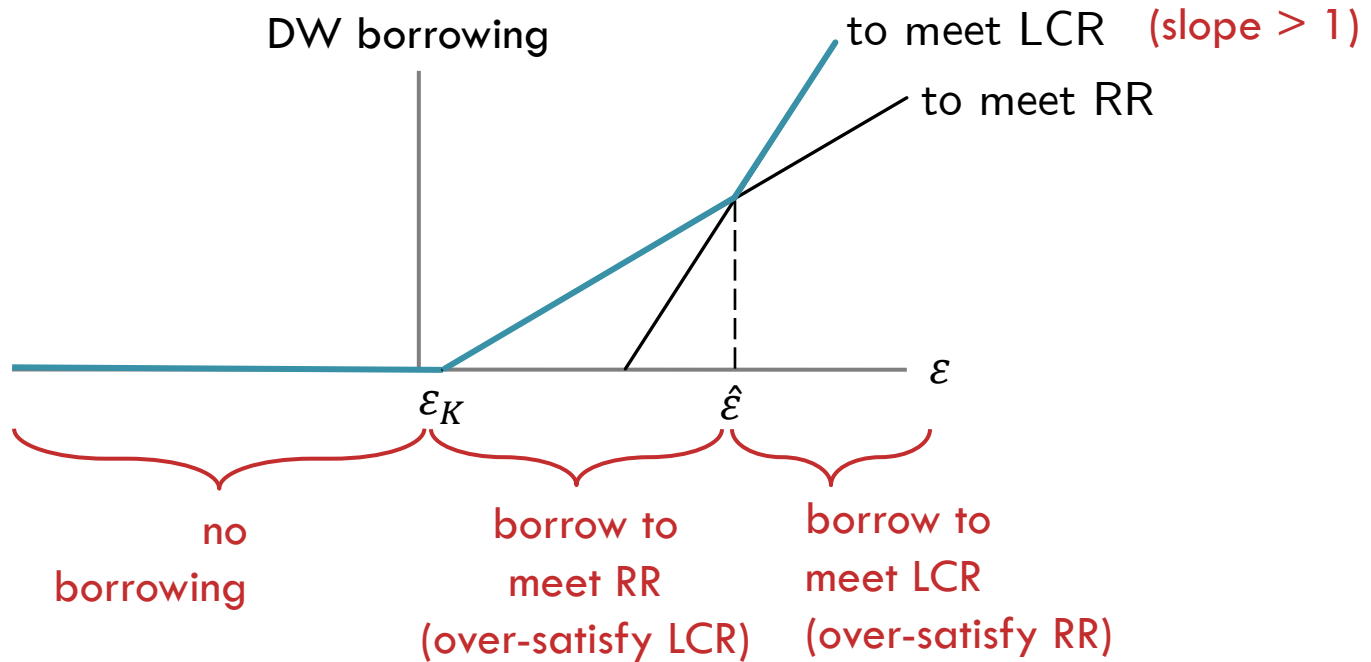
- After shock, bank borrows from CB if needed to meet **either** requirement
- Amount borrowed ( $X$ ) satisfies both

$$R + \Delta + \Delta_T - \varepsilon + X \geq K$$

and

$$LCR = \frac{B + R + \Delta + \Delta_T - \varepsilon + X}{\theta_D(D - \varepsilon) + \Delta + \theta_X X} \geq 1$$

- Borrowing from CB has (minimum) runoff rate of  $\theta_X = 25\%$ 
  - ▣ to make up a €1 LCR shortfall, must borrow  $> €1$



In equilibrium:

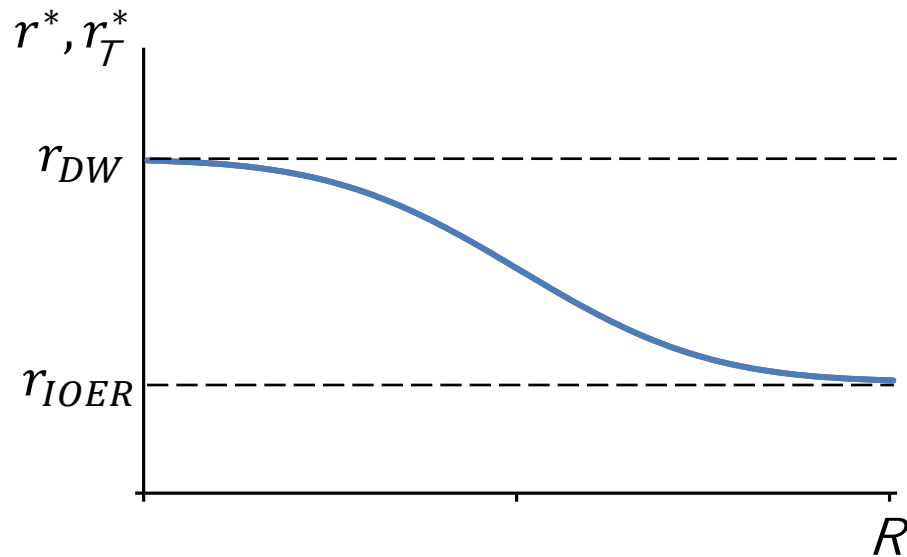
$$r^* = r_{IOER} (\text{prob}[\varepsilon < \varepsilon_K] + \text{prob}[\varepsilon > \hat{\varepsilon}]) + r_{DW} \text{prob}[\varepsilon_K < \varepsilon < \hat{\varepsilon}]$$

$$r_T = r^* + \frac{r_{DW}}{1 - \theta_{DW}} \text{prob}[\varepsilon > \hat{\varepsilon}]$$

← term premium emerges
 ↗ overnight rate lower

# Results

- If banks comfortably satisfy the LCR using only bonds ( $\hat{\varepsilon}$  is very large)



$$B \gg \theta_D D$$

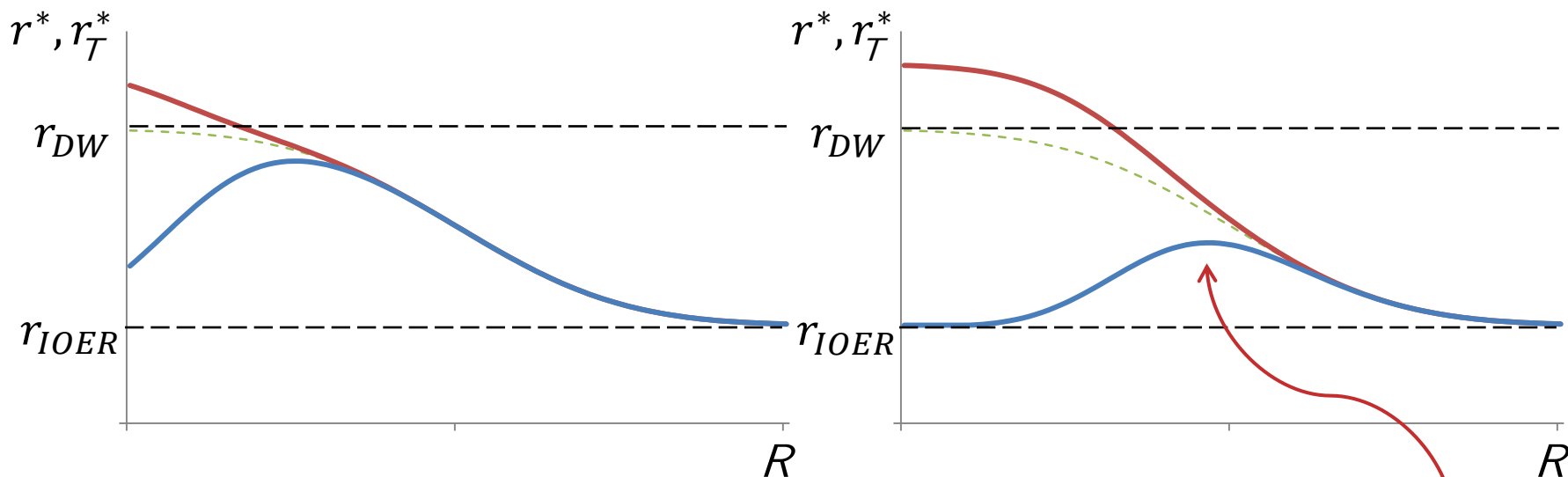
$$\left\{ LCR = \frac{B + R + \Delta + \Delta_T}{\theta_D D + \Delta} \right\}$$

- Monetary policy implementation is unaffected
- No term premium (in this simple setup)

reduces to  
the standard  
model

# Results

- If large shocks lead some banks to violate the LCR ( $\hat{\varepsilon}$  is moderate)

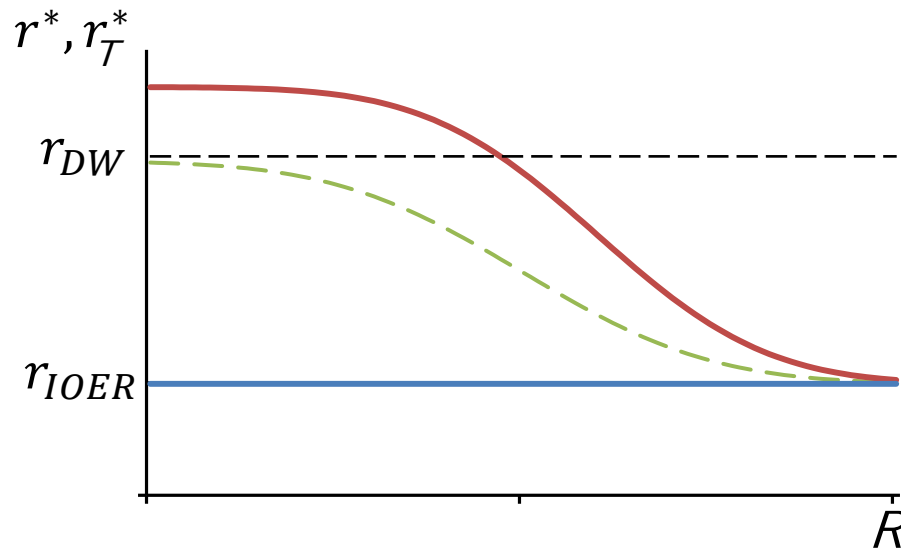


- Moving  $R$  changes the likelihood of an LCR shortfall
  - ▣ decreasing  $R$  can push overnight rate **lower**
  - ▣ term premium emerges (and  $r_T > r_{DW}$ )

may not be possible to implement a given target

# Results

- If banks rely on excess reserves to satisfy LCR ( $\hat{\varepsilon} < \varepsilon_K$ )



$$B + K < \theta_D D$$

$$\left\{ LCR = \frac{B + R + \Delta + \Delta_T}{\theta_D D + \Delta} \right\}$$

- overnight rate is always at the floor
- term premium is large

# Form of open market operations matters

- If CB buys government bonds from banks:

$$LCR_{new} = \frac{HQLA_0 + \Delta Reserves - \Delta Bonds}{Outflows_0} = \frac{HQLA_0}{Outflows_0} = LCR_0$$

- If CB buys government bonds from non-banks:

$$LCR_{new} = \frac{HQLA_0 + \Delta Reserves}{Outflows_0 + 10\% \Delta Deposits} > LCR_0$$

- If CB buys illiquid assets from banks:

$$LCR_{new} = \frac{HQLA_0 + \Delta Reserves}{Outflows_0} > LCR_0$$

⇒ Each type of operation leads to different values for  $(r^*, r_T^*)$

# Possible adjustments

- In this setting, a central bank could:
  - ▣ switch to targeting a term rate
  - ▣ set IOER rate equal to the target rate (“floor system”)
- More broadly:
  - ▣ could lend assets other than reserves (like TSLF program)
  - ▣ could allow banks to meet LCR on average over time (like reserve averaging)
- General message: central banks will likely need to pay attention to the LCR when implementing monetary policy



# Conclusions

- Analysis so far is somewhat basic ...
  - ▣ ...but points to an important possibility
- Much more can be done
  - ▣ including more portfolio choices in the model
  - ▣ tailoring the framework to different operating regimes

## Key takeaways:

- Process of implementing monetary policy may be altered
- LCR will tend to make very short end of the yield curve steeper
- Central banks need to consider structure as well as size of operations